

# **Results on Dissipation in Fission from Peripheral Heavy-Ion Collisions at Relativistic Energies**

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**How much time does a nucleus need to populate its deformation space?**



**Fission**

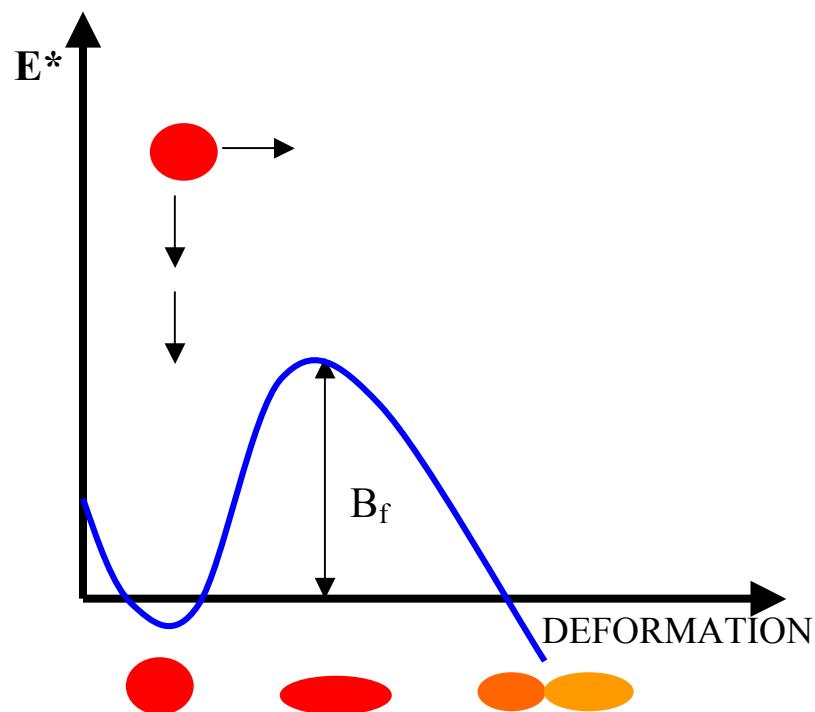


**How much time does a nucleus need to populate the deformation space between ground state and saddle,  $\tau_f$ ?**

**At which excitation energy do we start to be sensitive to  $\tau_f$ ?**

## Ideal scenario

- No deformation, no angular momentum. Only intrinsic degrees of freedom are excited
- High Excitation energies



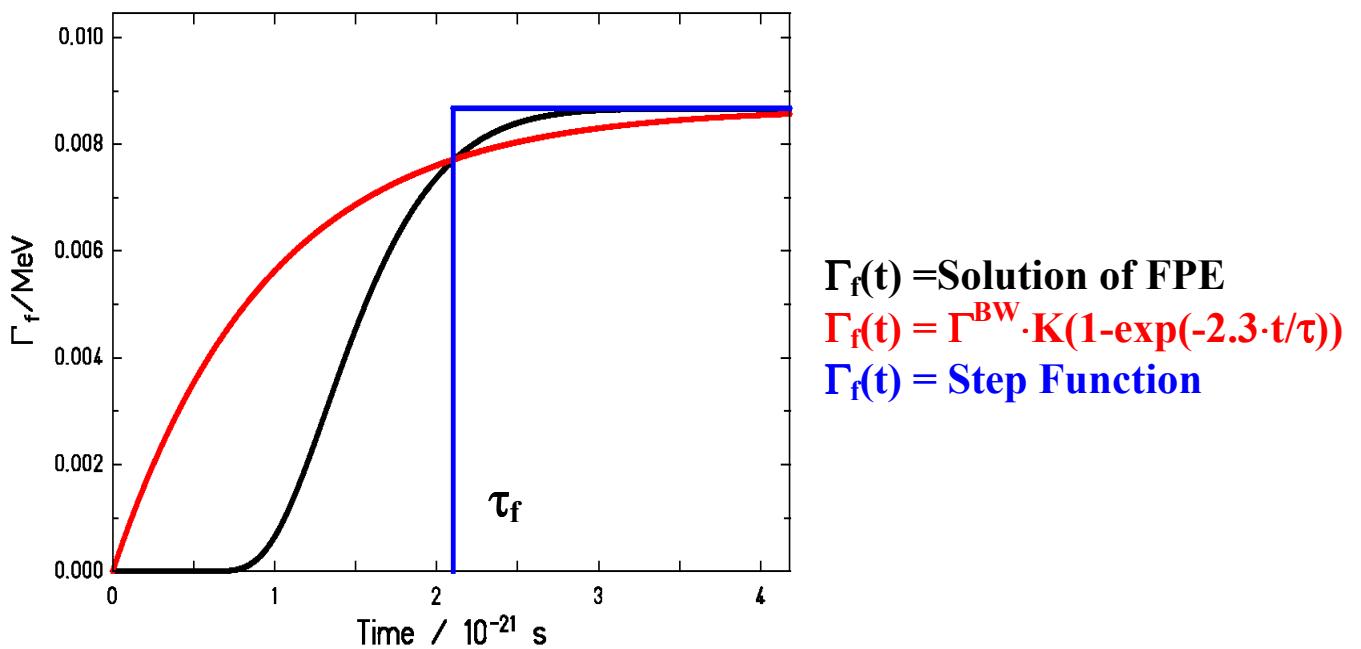
If there is a transient time  $\tau_f$ , at high excitation energies the number of systems that fission should be less than what the transition-state model predicts

## **Model of Grangé & Weidenmüller (1980) (Kramers 1940)**

**Fission process is considered as the evolution of the fission collective degree of freedom (e.g. elongation) in the heat bath formed by the individual nucleons**

**This process is described by the Fokker-Planck equation (FPE)**

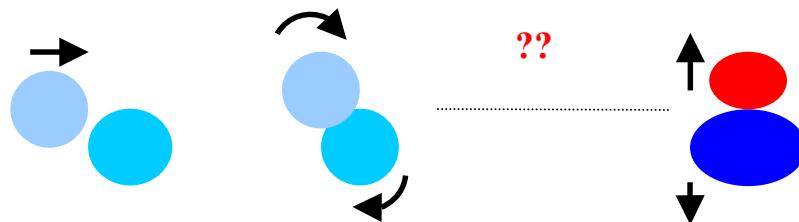
**Solution of the FPE under the initial conditions of the ideal scenario,  $\Gamma_f(t)$**



## **Experimental approach that reproduces the ideal scenario**

**...common experiments...**

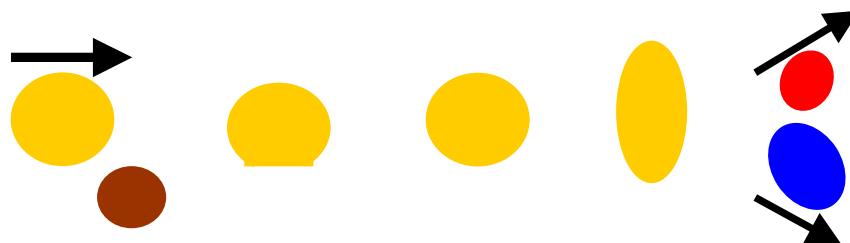
**Fusion-Fission reactions**



- Large deformation and large angular momentum
- Grangé-Weidenmüller model cannot be applied
- Very complicated models needed to describe process,  
e.g. HICOL (H. Feldmeier, Rep. Prog. Phys. 50 (1987) 915)

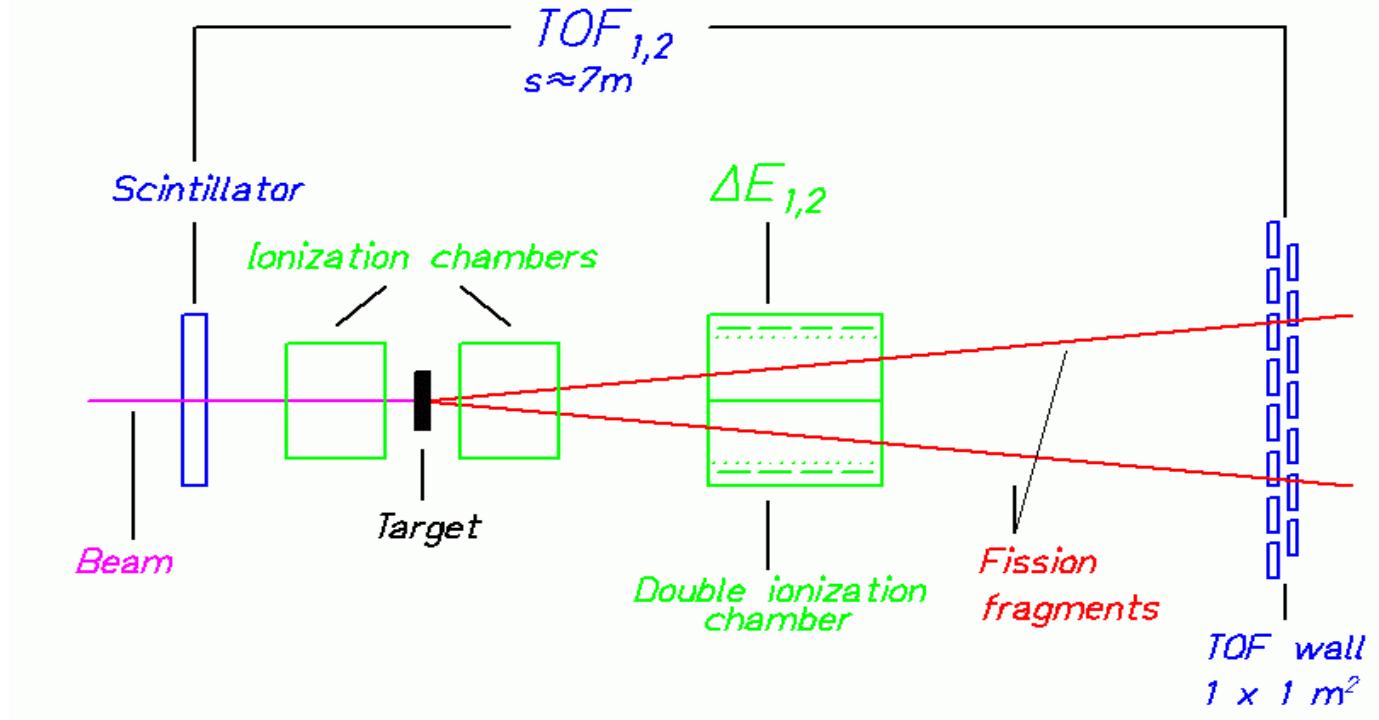
**...our approach...**

**Fission induced by peripheral heavy-ion collisions at relativistic energies**

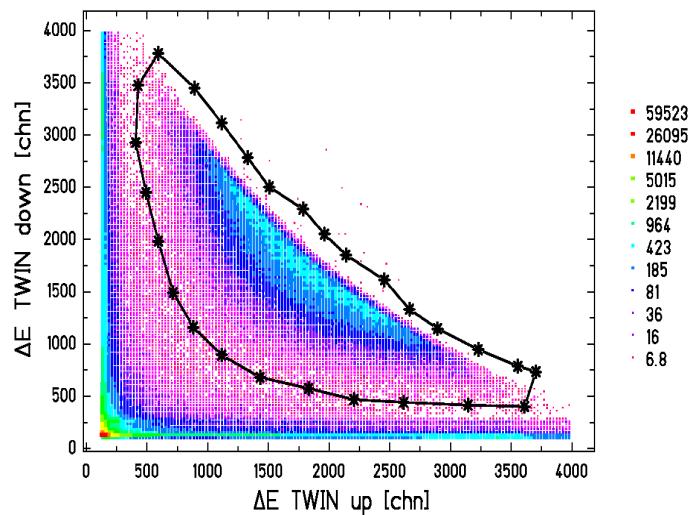


- Small shape distortion
- Low angular momentum
- High intrinsic excitation energies  $E^* \sim \Delta A$
- Inverse kinematics

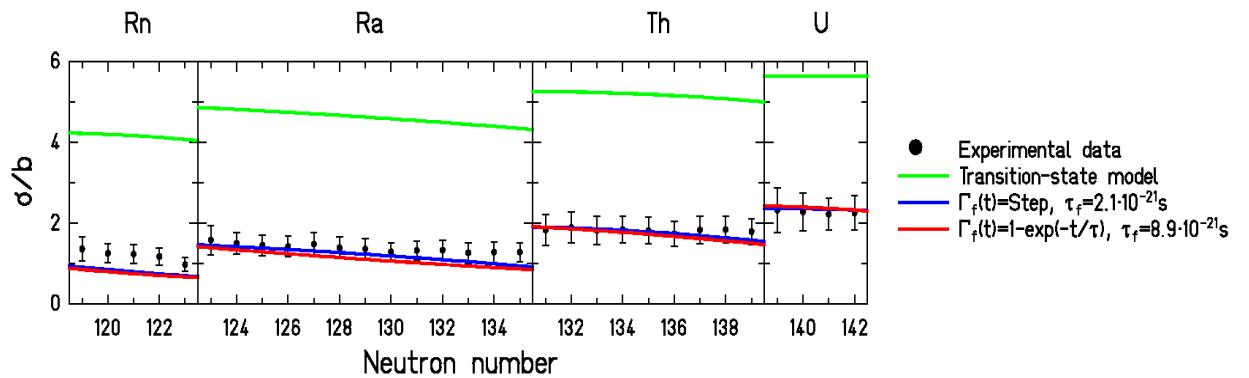
## Experimental set-up



## Identification of fission events



# Total nuclear fission cross sections of unstable nuclei in Pb

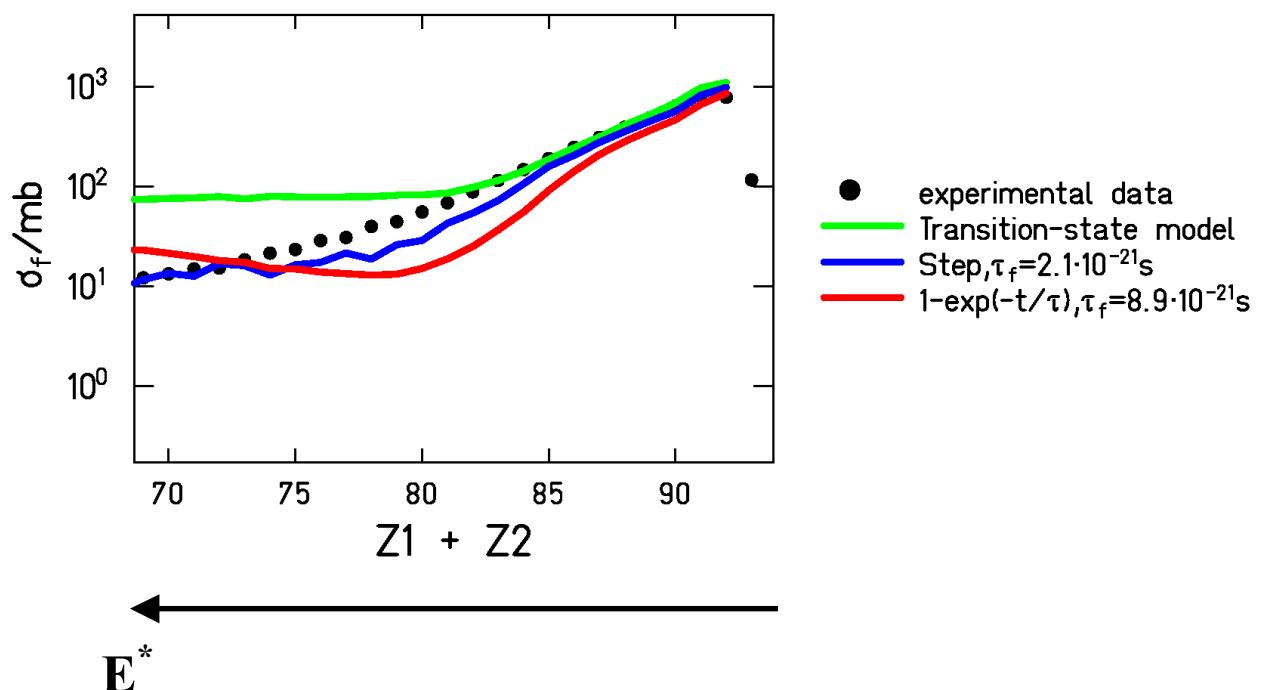


$\sigma_f^{\text{tot}}$  are reproduced by

$$\Gamma_f(t) = \text{Step function, } \tau_f = 2.1 \cdot 10^{-21} \text{s}$$

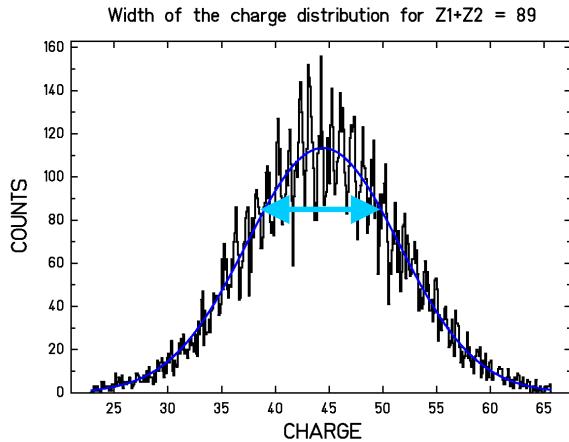
$$\Gamma_f(t) \approx 1 - \exp(-2.3t/\tau_f), \tau_f = 8.9 \cdot 10^{-21} \text{s}$$

## Partial fission cross sections



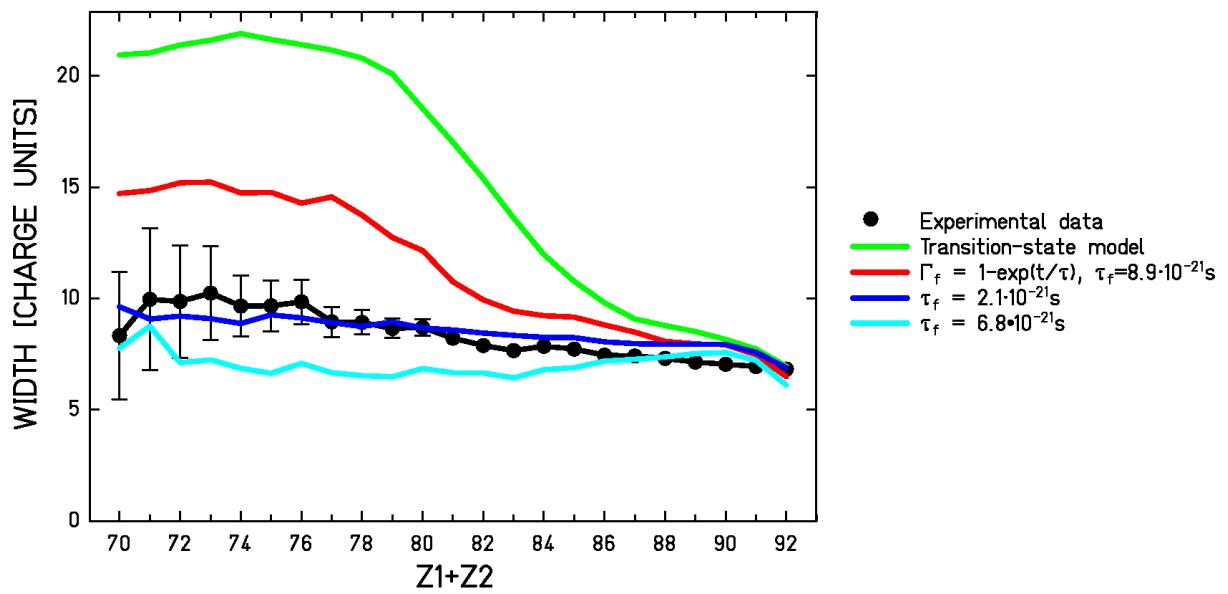
$\sigma_f(Z_1+Z_2)$  are not reproduced by  $\Gamma_f(t) \propto 1 - \exp(-t/\tau)$ ,  $\tau_f = 8.9 \cdot 10^{-21} \text{ s}!!!$

## Widths of charge distributions



$$2\sigma_z^2 = \frac{T}{C}$$

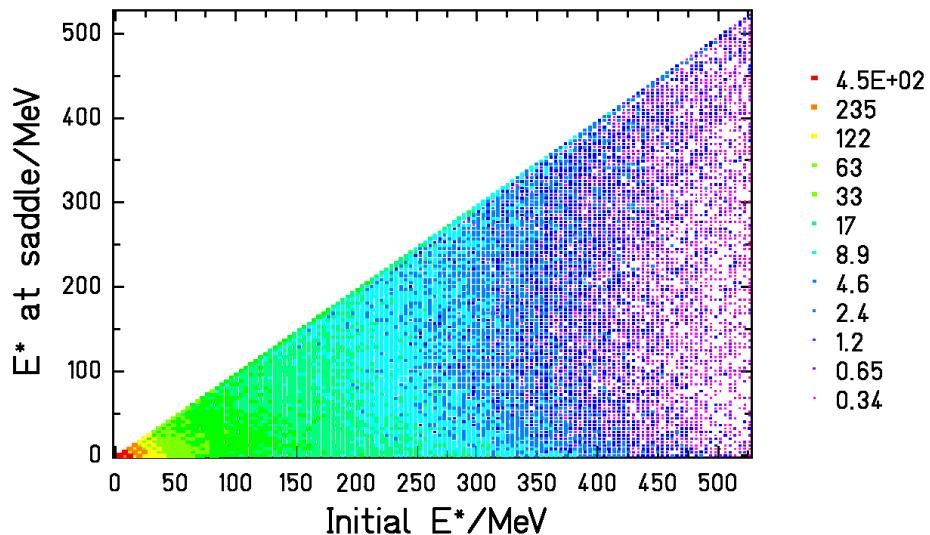
$C(Z,A) \rightarrow$  S. I. Mulgin et al. Nucl. Phys. A 640 375-388 (1998)



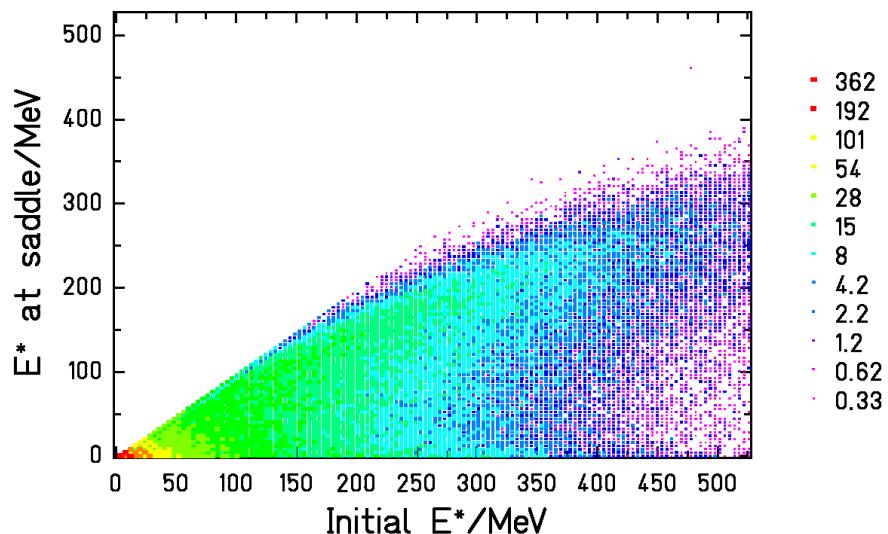
$\leftarrow E^*$

Best description: step function,  $\tau_f = 2.1 \cdot 10^{-21} \text{ s}$

## Excitation energy Transition-state model



$$\tau_f \approx 2.1 \cdot 10^{-21} \text{ s}$$



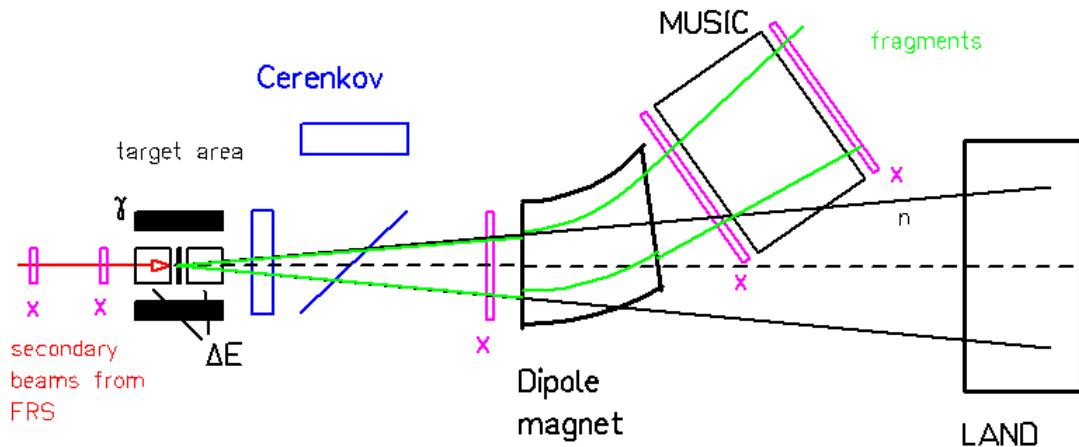
We start to be sensitive to  $\tau_f$  at  $E^* \approx 100 \text{ MeV}$

## Outlook

Better knowledge of  
the reaction  
dynamics at high  
excitation energies



R3B-Project



- Full identification of fission fragments and light particles
- Full kinematics

## **ABRABLA**

- **Abrasion model**  
(Eisenberg Y., *Phys. Rev. C* **96** 1378 (1954))

- **Evaporation and fission**

-**Transition-State model**

(Bohr N. and Wheeler J. A., *Phys. Rev.* **56**, 426 (1939))

$$-\Gamma_f(t) = \Gamma^{BW} \cdot K \cdot f(t)$$

$$\Gamma^{BW}$$

$B_f$  (Sierk, A. J. *Phys. Rev. C* **33**, 2039 (1986))

$a_f/a_n$  (Ignatyuk A. V. et al., *Nucl. Phys. A* **593**, 519-534 (1995))

$$f(t)$$

**Step function**

$$1 - \exp(-2.3 \cdot t/\tau_f)$$