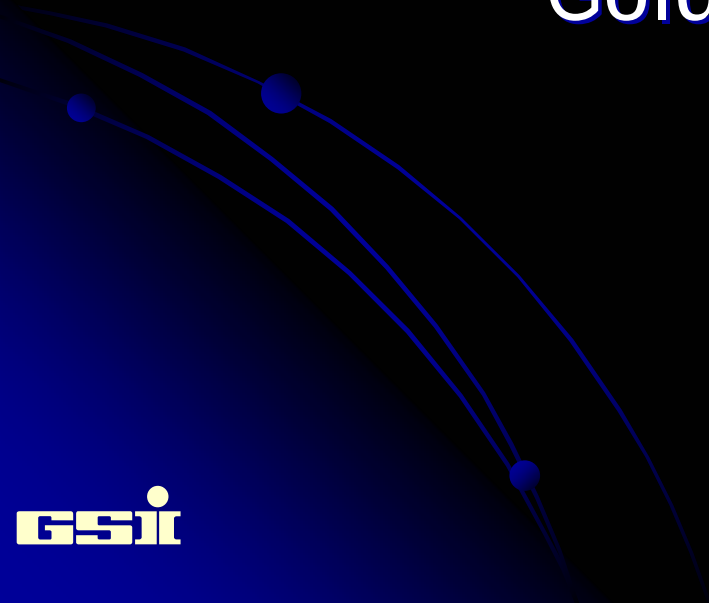


# Width of longitudinal momentum considerations

From historical model of  
Goldhaber to ABRABLA  
calculations



# Width of longitudinal momentum considerations

- gaussian shape of longitudinal momentum distribution ; standard deviation
- new signature for break-up ?
- prediction for technical purposes (energy deposition...)

# Goldhaber model

Only describing abrasion process

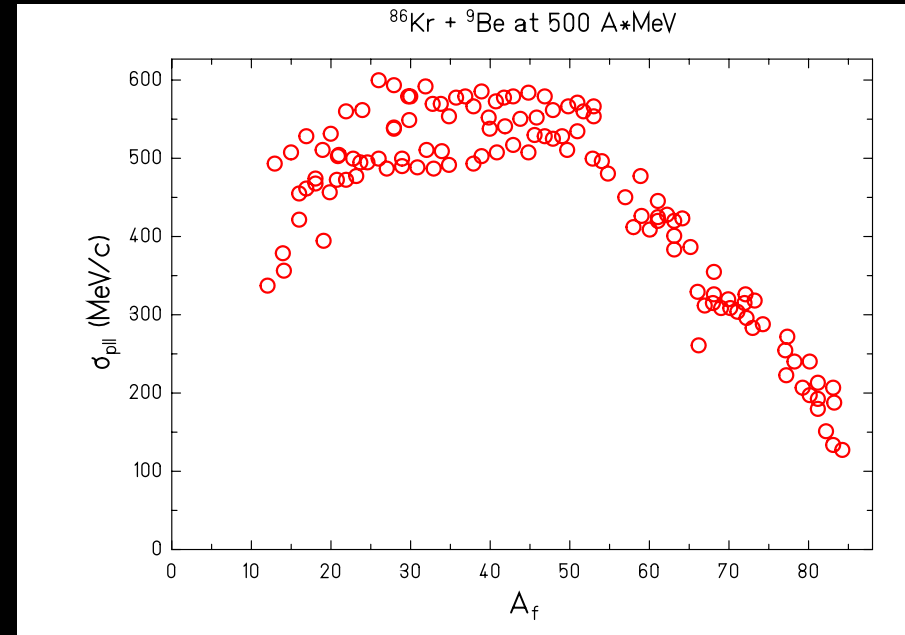
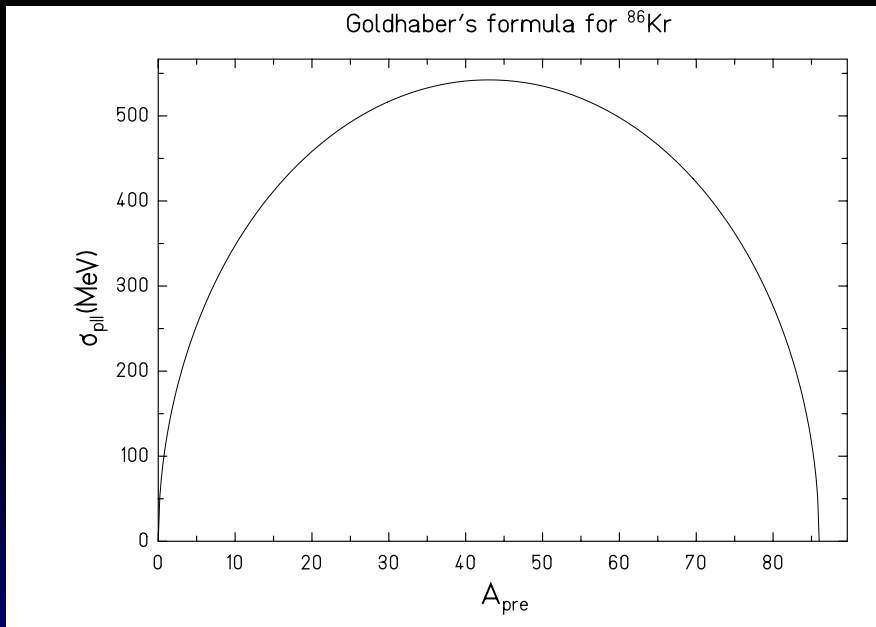
- Fermi momentum
- Combinatorics

$$\sigma_{GH}^2(A_{abr}) = \frac{p_F^2}{5} \cdot \frac{A_{abr} \cdot (A_p - A_{abr})}{A_p - 1}$$

*Goldhaber, Phys. Lett. 53B (1974)*

Bacquias Antoine, CHARMS Collaboration

# Goldhaber model



Weber et al., Nucl. Phys. A 578 (1994)

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# Morrissey systematics

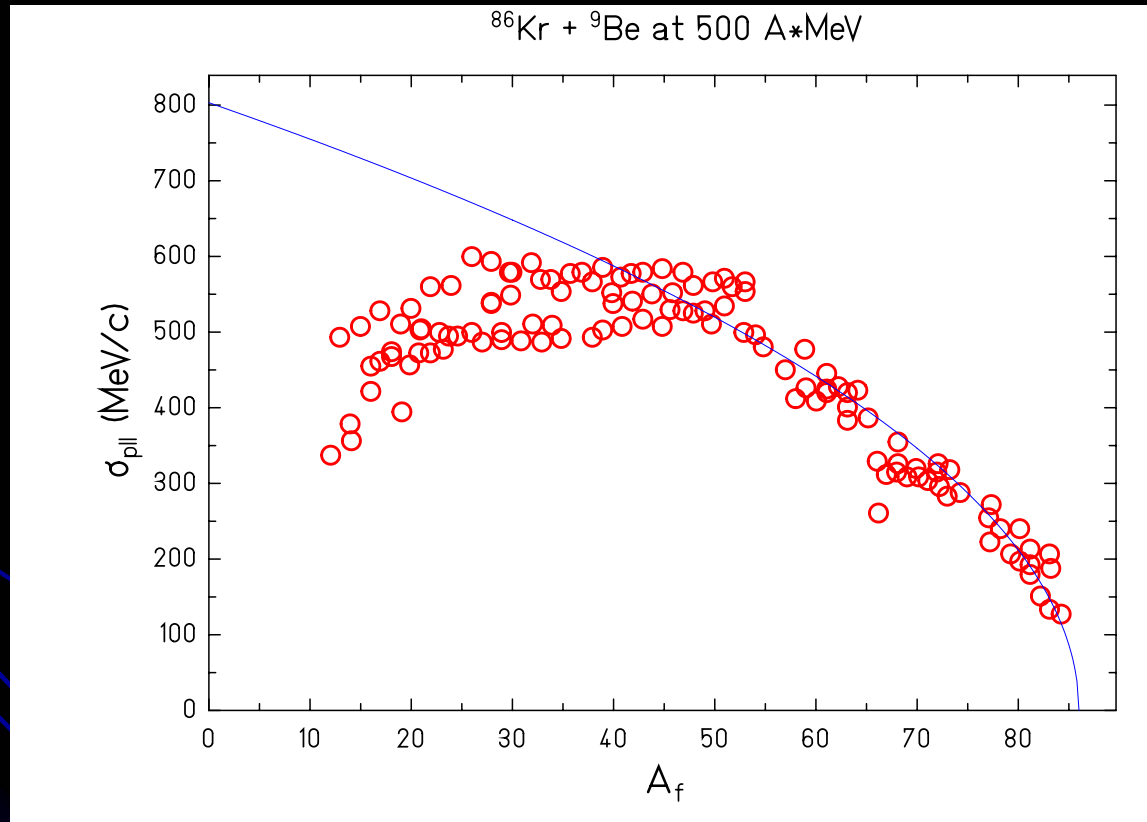
- Formula to fit data

$$\sigma^2 = \frac{150^2}{3} \cdot (A_p - A_f)$$

*Morrissey, Phys. Rev. C 39 (1989)*

- Not adapted to big mass losses

# Morrissey systematics



# Evaporation

Energy gain per abraded nucleon :  $27\text{MeV}$

Energy loss per evaporated nucleon  $\delta_{ev} = 15\text{MeV}$

$$A_{pre} = \frac{\delta_{ev} \cdot A_f + 27 \cdot A_p}{27 + \delta_{ev}}$$

$$\sigma_{ev} = \frac{A_f}{A_{pre}} \cdot \sigma_{GH} \left( A_{pre} (A_f) \right)$$

# Recoil

- Contribution to the width : mean recoil momentum per particle evaporated

$$\langle p_{evap}^2 \rangle = \frac{p_F^2}{5} \cdot \eta^2$$

$\eta$  is a parameter  $\sim 0.6$

$$\sigma_{v_n}^2 = \sigma_{v_0}^2 + p_{evap}^2 \cdot \sum_{i=0}^n \frac{1}{(A_{pre} - i)^2}$$



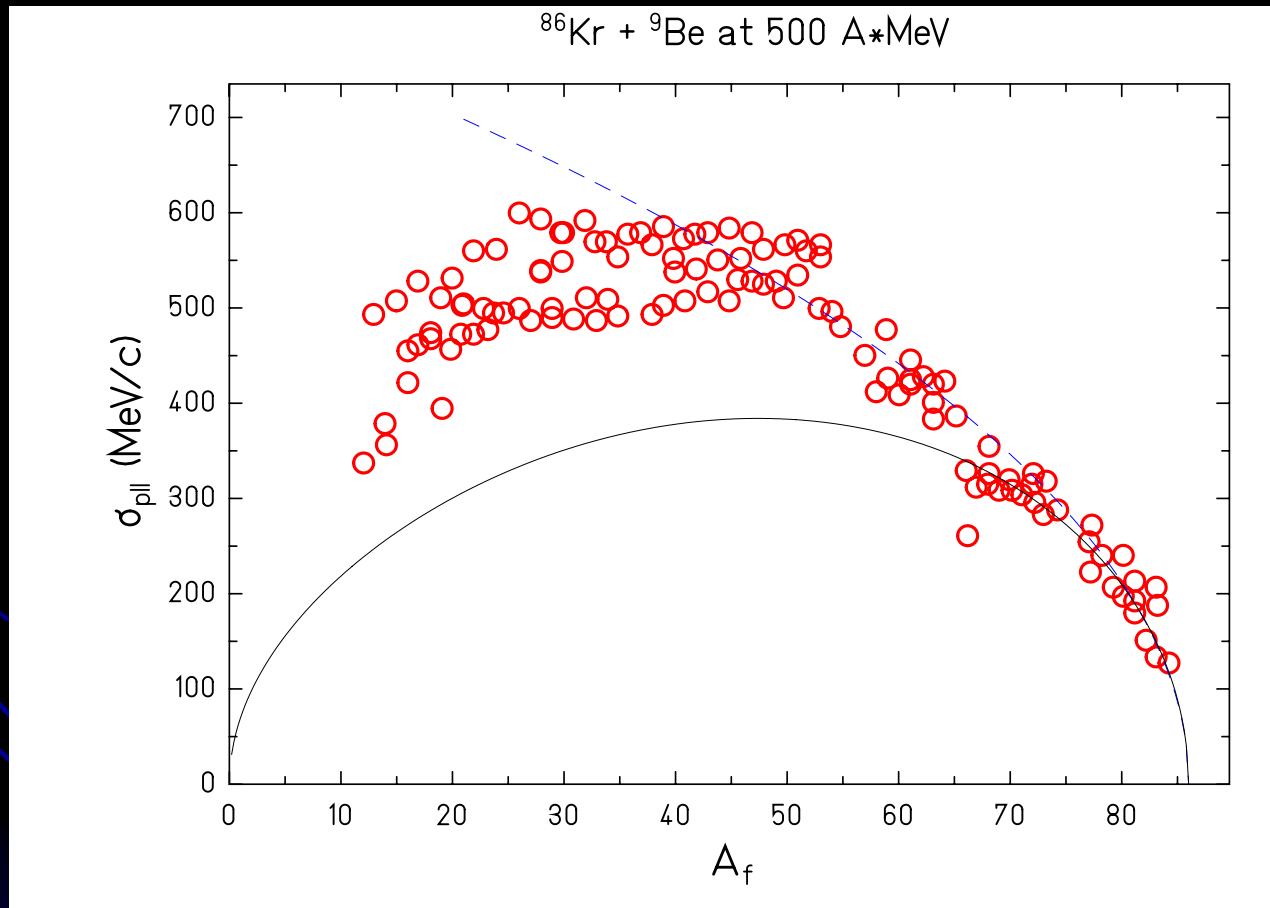
# Recoil

- Approximation by an integral :

$$\sigma^2 = \sigma_{ev}^2 + A_f^2 \cdot \frac{p_F^2}{5} \cdot \eta^2 \cdot \left( \frac{1}{A_f} - \frac{1}{A_{pre}} \right)$$

$\eta$  is a parameter  $\sim 0.6$

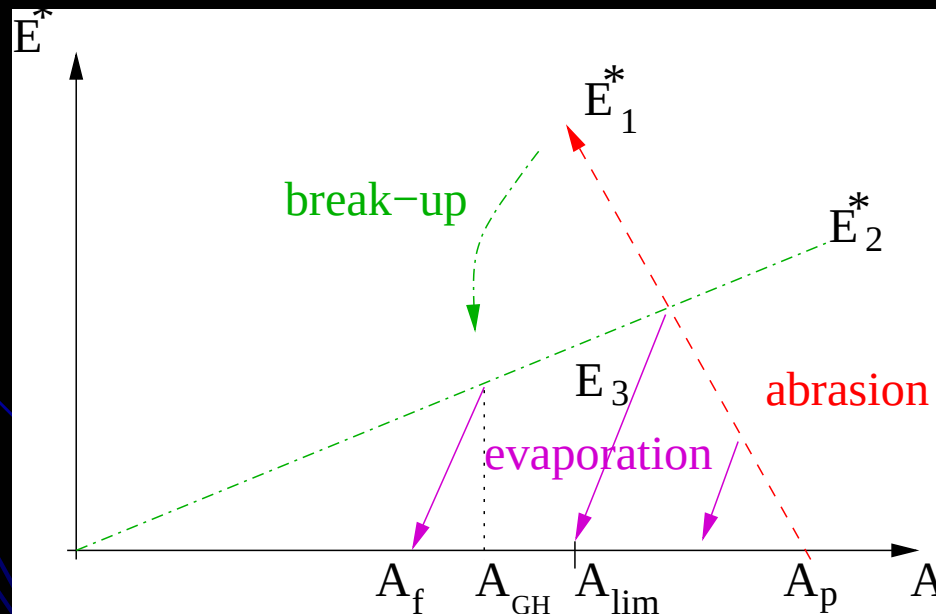
# Evaporation



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# Introduction of break-up

- Excitation energy vs mass
- Different processes, two regimes



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- Abrasion :

$$E_{abr}^* = 27 \cdot (A_p - A)$$

- Break-up :

$$E_{bu}^* = \frac{T_{bu}^2}{11} \cdot A, \text{ with } T_{bu} = 5 \text{ MeV}$$

- Evaporation :

$$E_{ev}^* = \delta_{ev} \cdot (A - A_f), \text{ with } \delta_{ev} = 15 \text{ MeV}$$

$$A_{\text{lim}} = \frac{27 \cdot 11}{27 \cdot 11 + T_{bu}^2} \cdot \frac{11 \cdot \delta_{ev} - T_{bu}^2}{11 \cdot \delta_{ev}} \cdot A_p = \frac{126}{161} \cdot A_p$$

$$A_{\text{lim}} = \frac{126}{161} \cdot A_p$$

$$\text{for } A \leq A_{\text{lim}},$$

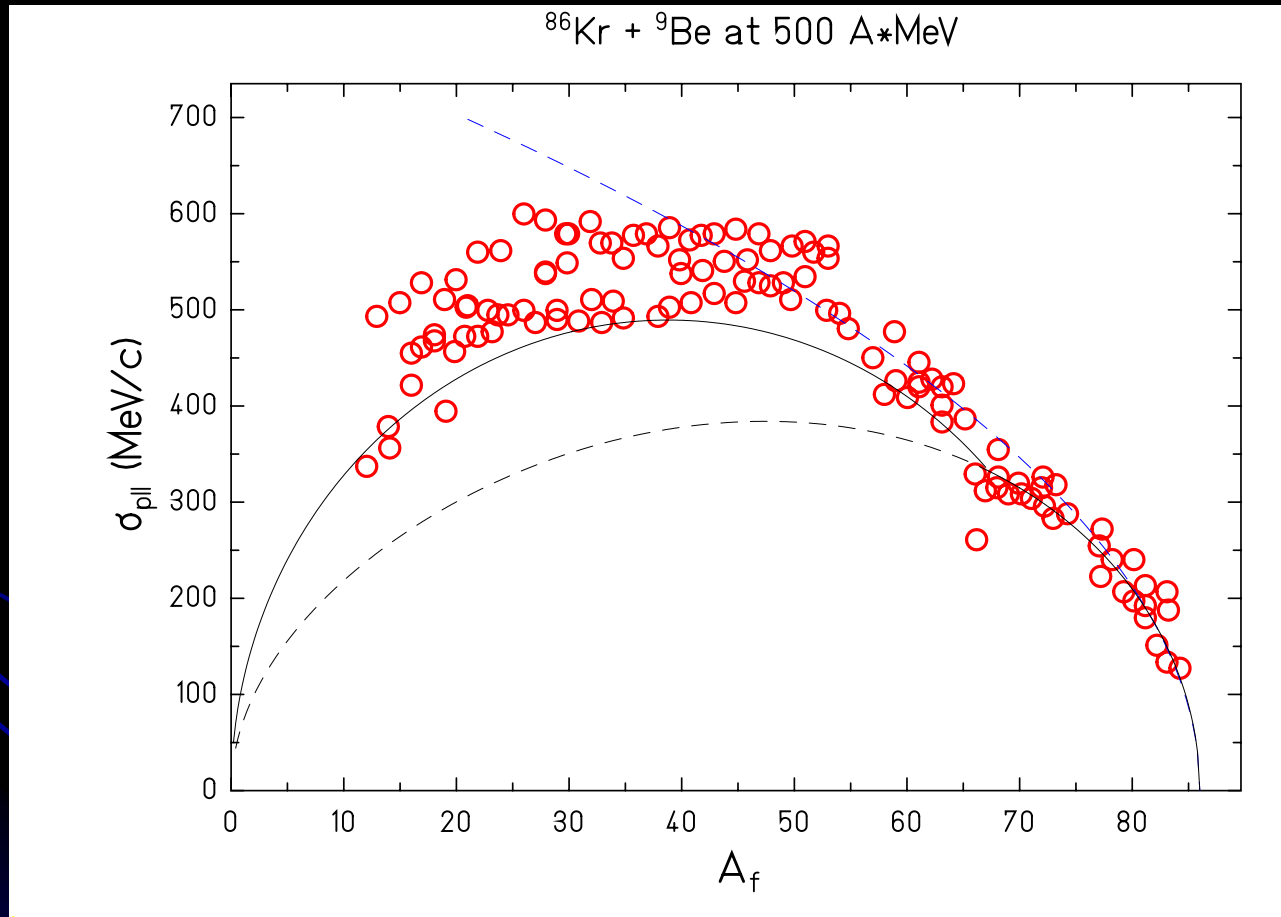
$$\text{for } A \geq A_{\text{lim}},$$

$$\sigma = \frac{A_f}{A_{\text{pre}}} \cdot \sigma_{GH} (A_{\text{pre}} (A_f))$$

$$A_{\text{pre}} = \frac{11 \cdot \delta_{ev}}{11 \cdot \delta_{ev} - T_{bu}^2} \cdot A_f$$

$$A_{\text{pre}} = \frac{\delta_{ev} \cdot A_f + 27 \cdot A_p}{27 + \delta_{ev}}$$

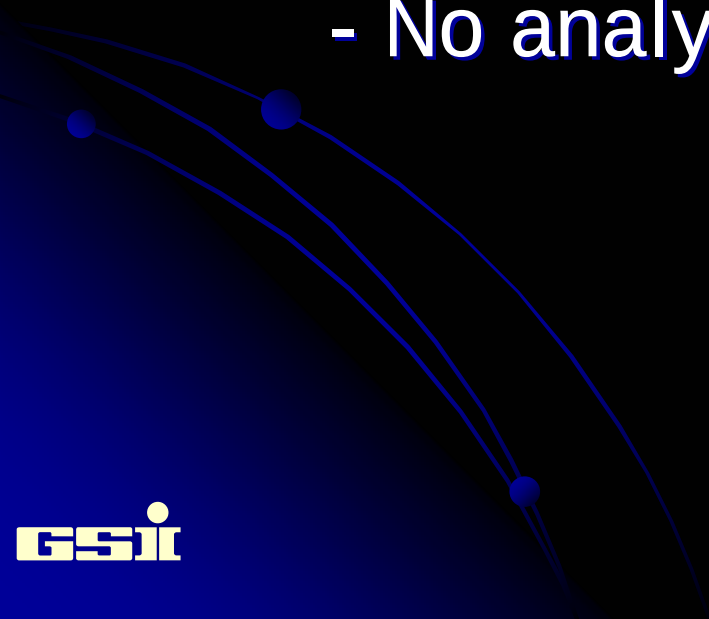
# Introduction of break-up



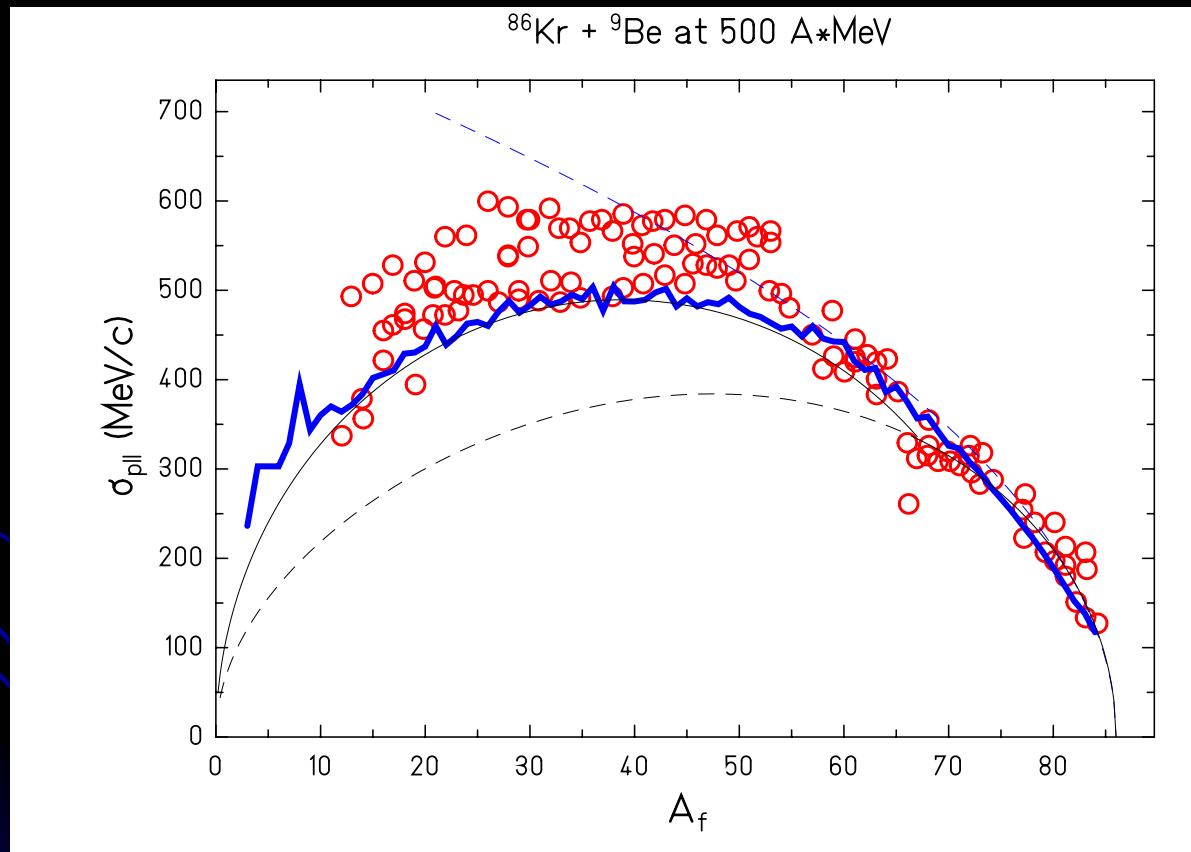
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# Numerical calculations with ABRABLA

- Relies on theoretical models
- No analytical prediction of  $\sigma^2$



# Numerical calculations with ABRABLA



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# other systems

