Neutron Transfer Effects in Nuclear Fusion

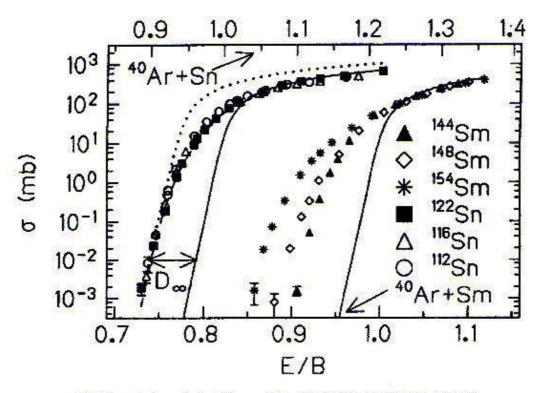
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Fusion Enhancement



W. Reisdorf, J. Phys. G, 20 (1994) 1297-1353

- one-dimensional calculations do not reproduce the measured cross sections
- nuclei with strong rotational and vibrational states show larger fusion enhancement
- strong isotopic dependence

fusion is a multi-dimensional problem

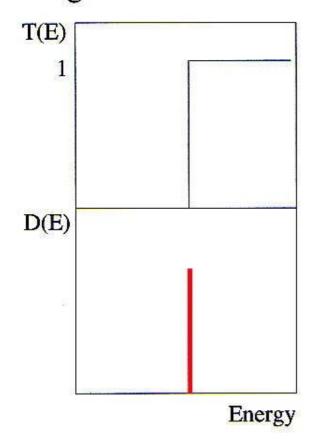
other degrees of freedom couple to the relative motion

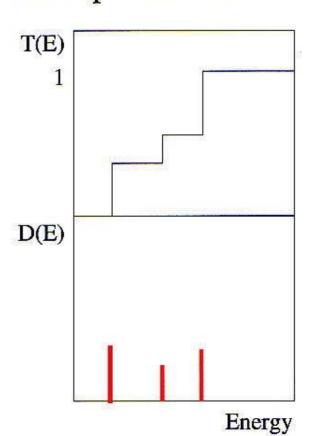
The Distribution of Barriers

$$\sigma^{fus}(E) = \int D(B) \sigma(B, E) dB$$

Single Barrier Case

Multiple Barriers

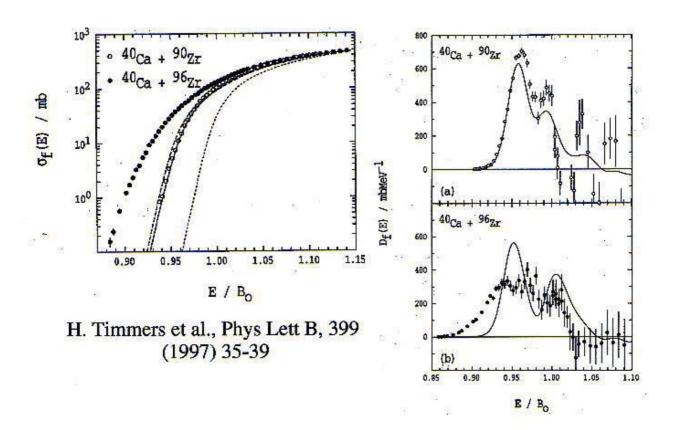




$$D^{fus}(E) \equiv \frac{dT}{dE} = \frac{1}{(\pi R_0^2)} \frac{d^2}{dE^2} (E \sigma^{fus}(E))$$

$$\frac{dT}{dE} = \frac{d}{dE} (1 - R) = \frac{-dR}{dE} \equiv -D^{qel}(E)$$

The Influence of Neutron Transfer



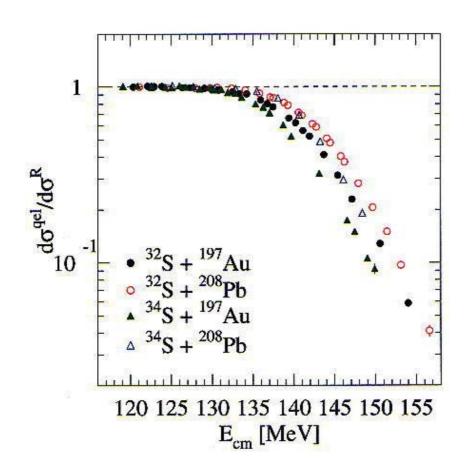
Q-values for neutron transfer for 40 Ca+ 90,96 Zr [MeV]:

	1n	2n	3n	
⁴⁰ Ca + ⁹⁰ Zr	-3.611	-1.445	- 5.861	
40 Ca + 96 Zr	0.509	5.525	5.239	

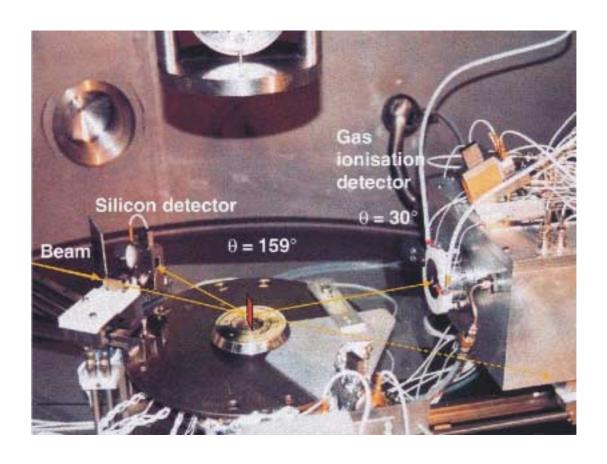
32,34 S+ 197 Au, 208 Pb

Q-values for neutron transfer [MeV]:

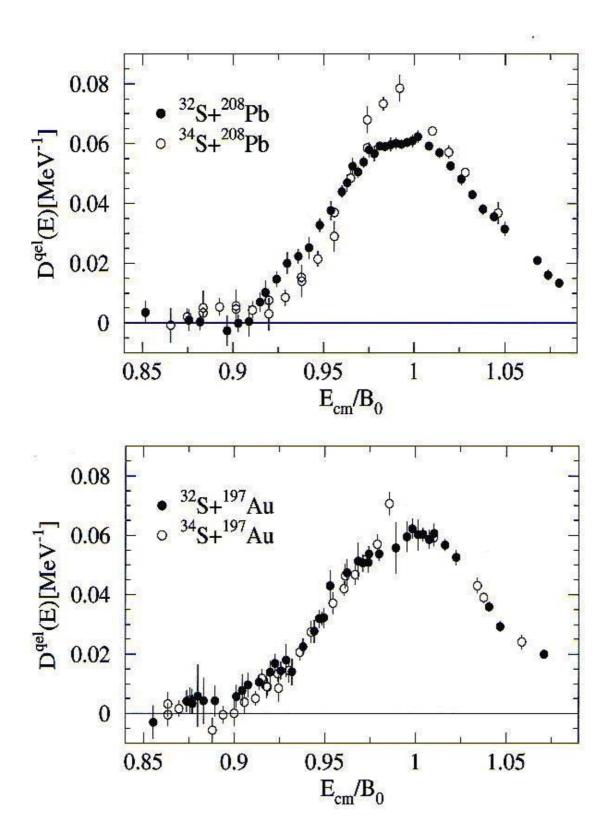
	1n	2n		1n	2n
$^{32}S + ^{197}Au$	0.569	5.342	32 S + 208 Pb	1.274	5.953
$^{34}S + ^{197}Au$	-1.086	2.158	$^{34}S + ^{208}Pb$	-0.382	2.769
$^{36}S + ^{197}Au$	-3.768	-2.377	$^{36}S + ^{208}Pb$	-3.064	-1.766



Experimental Setup



32,34 S+ 197 Au, 208 Pb



Exploiting Barrier Distributions

- phenomenological approach to fusion
- measurements of fusion and/or quasielastic scattering excitation functions
- systematic investigation of isotopic variations
- additional test of theory
- extension to heavy systems

Heavy Systems

- average barriers shift to higher energies
- large number of available reaction channels
- weakly coupling channels become more important
- importance of transfer channels increases with system size
- transfer of many particles as link between simple reactions and neck formation